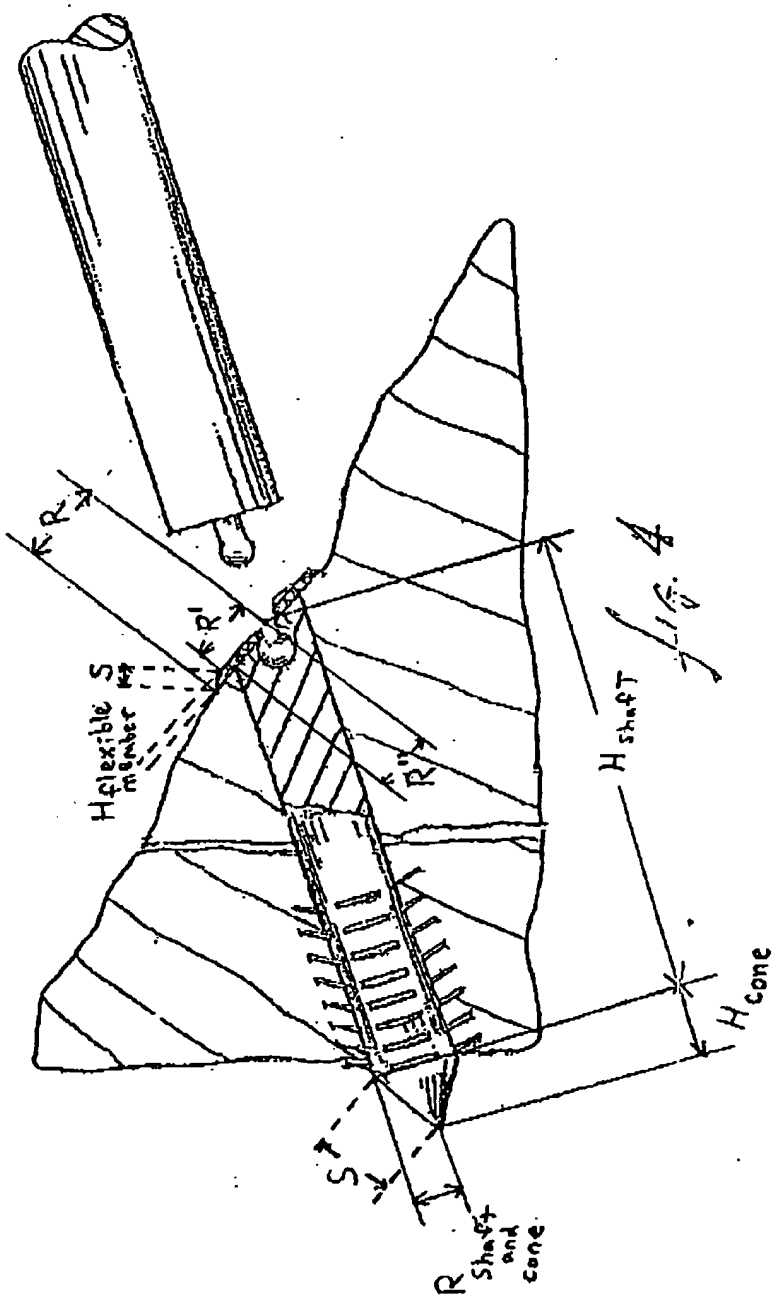
EXHIBIT B



Flexible Member

Radius of top R' = 9 mm
Radius of bottom R = 11.5 mm
Height H = 1.0 mm
Radius of juncture of bottom of flexible member and shaft R" = 7 mm
Slant height (bevel) $S=((R-R')^2 + H^2)^{.5} = ((11.5-9)^2 + (1.0)^2)^{.5} = 2.69$ mm

Lateral area (beveled portion) = $3.14S(R+R') = 3.14(2.69)(11.5+9) = 173.16$ mm^2
Area of top = $3.14(R')^2 = 3.14(9)^2 = 254.34$ mm^2
Area of bottom = $3.14R^2 - 3.14(R")^2 = 3.14(11.5)^2 - 3.14(7)^2 = 261.41$ mm^2
Volume = $1/3(3.14)H(R^2 + (R)(R') + R'^2) = 1/3(3.14)(1.0)((11.5)^2 + (11.5)(9) + (9)^2)$
$= 1,577.33$ mm^3
Total surface area: 173.16 + 254.34 + 261.41 = 849.84 mm^2

Surface area to mass ratio (density term dropped out because materials identical for each of the flexible member and the shaft)

Surface Area / Volume = 849.84 mm^2 / 1,577.33mm^3 = 0.54

Shaft

Cylinder: Radius R = 6 mm
Height H = 68mm

Area = $2(3.14)rh = 2(3.14)(6)(68) = 2,562.24$ mm^2
Volume = $(3.14)R^2H = (3.14)(6)^2(68) = 7,686.72$ mm^3

Cone: Radius R = 6 mm
Height H = 11mm
Slant Height S = 12.5 mm

Area = $(3.14)RS = (3.14)(6)(12.5) = 235.5$ mm^2
Volume = $1/3(3.14)R^2H = 1/3(3.14)(6)^2(11) = 414.48$ mm^3

Total surface area: 2,562.24 + 235.5 = 2,797.74 mm^2
Total volume: 7,686.72 + 414.48 = 8,101.2 mm^3

Surface area to mass ratio (density term dropped out because materials identical for each of the flexible member and the shaft)

Surface Area / Volume = 2,797.74 mm^2 / 8,101.2 mm^3 = 0.34

The surface area to mass ratio of the flexible member (0.54) is greater than the shaft (0.34).

Note: measurements were taken from Fig. 4 as filed. Fig. 4 as presented in Exhibit B is an enlarged view of Fig. 4 as filed.